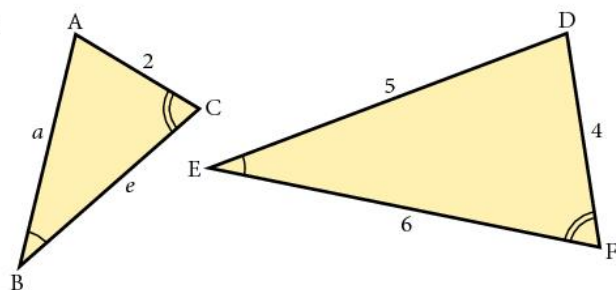


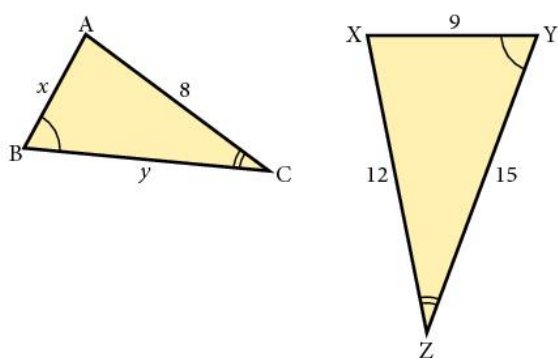
## Exercise 7

Find the sides marked with letters in questions 1 to 11; all lengths are given in centimetres.

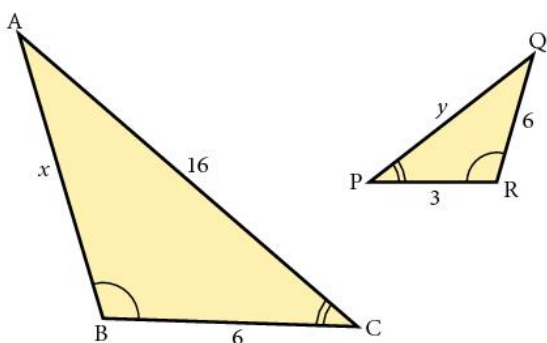
1.



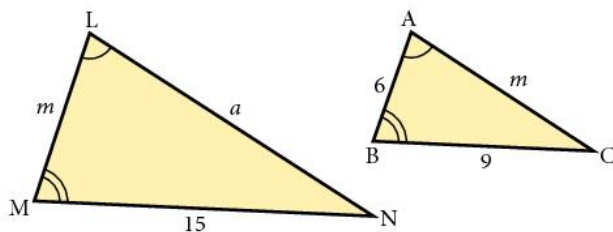
2.



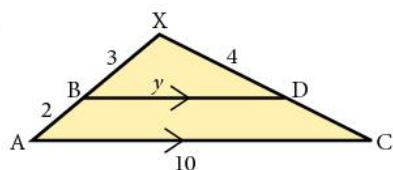
3.



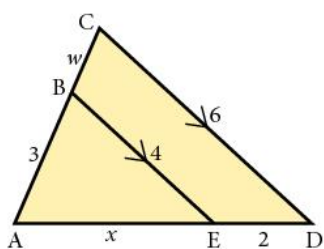
4.



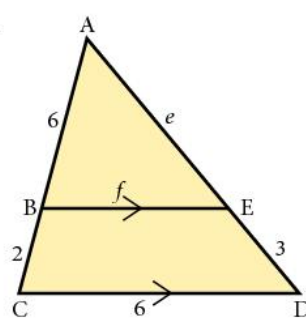
5.



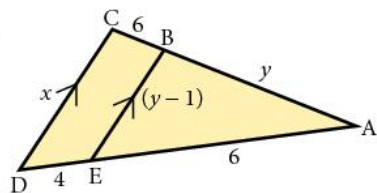
6.



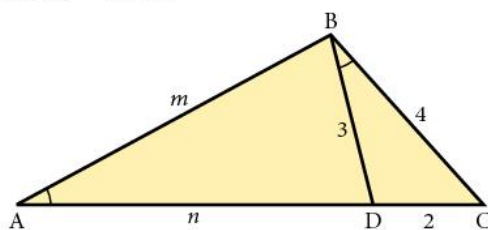
7.



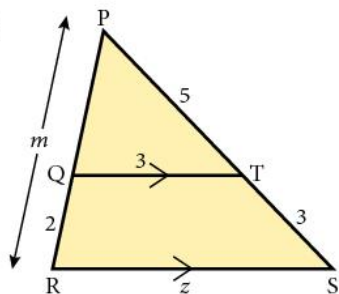
8.



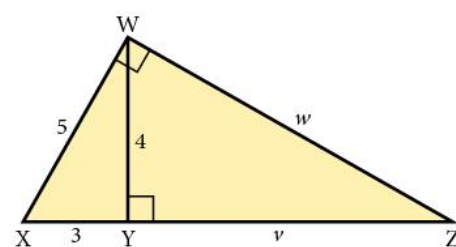
9.  $\hat{BAC} = \hat{DBC}$



10.



11.



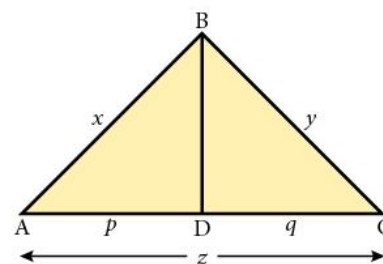
12. The photo shows a rectangular picture  $16\text{ cm} \times 8\text{ cm}$  surrounded by a border of width 4 cm. Are the two rectangles similar?



13. The diagonals of a trapezium ABCD intersect at O. AB is parallel to DC,  $AB = 3\text{ cm}$  and  $DC = 6\text{ cm}$ . If  $CO = 4\text{ cm}$  and  $OB = 3\text{ cm}$ , find AO and DO.
14. A tree of height 4 m casts a shadow of length 6.5 m. Find the height of a house casting a shadow 26 m long.
15. Which of the following *must* be similar to each other?
- |                              |                   |
|------------------------------|-------------------|
| a) two equilateral triangles | b) two rectangles |
| c) two isosceles triangles   | d) two squares    |
| e) two regular pentagons     | f) two kites      |
| g) two rhombuses             | h) two circles    |

16. In the diagram  $\hat{A}BC = \hat{A}DB = 90^\circ$ ,  $AD = p$  and  $DC = q$ .

- a) Use similar triangles to show that  $x^2 = pz$ .
- b) Find a similar expression for  $y^2$ .
- c) Add the expressions for  $x^2$  and  $y^2$  and hence prove Pythagoras' theorem.



17. In a triangle ABC, a line is drawn parallel to BC to meet AB at D and AC at E. DC and BE meet at X. Prove that:

- a) the triangles ADE and ABC are similar
- b) the triangles DXE and BXC are similar
- c)  $\frac{AD}{AB} = \frac{EX}{XB}$

18. From the rectangle ABCD a square is cut off to leave rectangle BCEF. Rectangle BCEF is similar to ABCD. Find  $x$  and hence state the ratio of the sides of rectangle ABCD.

ABCD is called the Golden Rectangle and is an important shape in architecture.

